Announcements

- Turn on the Clicker (the red LED comes on).
- Push "Join" button followed by "20" followed by the "Send" button (switches to flashing green LED if successful).

- We will finish our discussion of equilibria in general today.
- The remainder of the material for the next exam will cover the special case of equilibria in acid-base systems (Chapters 16 & 17).
- We will get a brief introduction today to help you with the lab you have to plan on buffers.
- A suggested reading and problem assignment will be e-mailed out soon.

Review

- Writing equilibrium constant mass action expressions:
 aA + bB == cC + dD
 - K_{eq} = [C]^c[D]^d/{[A]^a[B]^b} where all concentrations (or partial pressures are at equilibrium).
 - If not at equilibrium this ratio is called Q, the reaction quotient.
 - Q > K => reaction will run in reverse.
 - Q < K => reaction will run forward.
- $K_{reverse} = K^{-1}$
- $K_P = K_C(RT)^{\Delta n}$
 - R must be in L atm mol⁻¹K⁻¹ if partial P's have units of atm.
 - R must be in Jmol⁻¹K⁻¹ if partial P's in Pa.

Review

- Finding concentrations after equilibrium is reached.
- Ex: N₂ 2 NO ╉ i(M) 0.023 0.033 ()+2x-X -X 0.023 -x 0.033 - x + 2xeq $\kappa = 1.5 \times 10^{-3} = \frac{(+2x)^2}{(0.023 - x)(0.033 - x)}$ Tried x << 0.023 => 1.5 x $10^{-3} \approx (2x)^2 / \{(0.023)(0.033)\}$ solved for $x \approx 5.3 \times 10^{-4} => [NO]=2x = 1.1 \times 10^{-3} M$

Relation of ΔG° to K_{eq}

