

Announcements

To join clicker to class today
(Clickers with LCD display
join automatically):

- Turn on the Clicker (the red LED comes on).
 - Push “Join” button followed by “20” followed by the “Send” button (switches to flashing green LED if successful).
 - Quiz Wednesday covers to $PV=nRT$ problems like those on Friday.
 - **No shorts, sandals or skirts allowed in Lab!!**
 - Volunteer to help with Earth Day Science Fun
- Next Exam one week from today.
 - Most review material is already posted.

PV=nRT

- P = pressure. We will use units of atm, but can also be in other units (you are responsible for conversions, 1 atm = 760 Torr = 760 mmHg, Pa = Nm⁻², 1 atm = 101325 Pa, 1 bar = 10⁵ Pa).
- R = the gas constant = 0.082058 L•atm•mol⁻¹K⁻¹ or 8.3145 J•mol⁻¹•K⁻¹ (used when P in Pa)
- T = temperature in Kelvin
- Model works well near 298 K (rm temp) and 1 atm.
- Be able to solve for individual variables.
- How includes Boyle's, Charles & Avogadro's Laws.
- Graphs of relationships between the variables.
- Be able to use in multistep calculations where physical situation makes one or more of P, V, T or n constant.

One or more variables constant

- Example 1: An expandable but closed container (balloon, piston) is maintained at constant T . It is found that $V_2 = (0.5)V_1$. How is the final P related to the initial P ?
 $(P_2 = nRT/V_2 = nRT/(0.5V_1) = 2nRT/V_1 = 2P_1)$
- Example 2: An ideal gas inside a piston is initially at STP ($0^\circ\text{C} = 273. \text{ K}$, 1.00 atm) and occupies a volume of 10.0 L . What volume does it occupy at $25^\circ\text{C} = 298. \text{ K}$ and 3.00 atm ?

$$V_f = nRT_f/P_f \text{ \& } n = P_i V_i / (RT_i) \Rightarrow V_f = P_i V_i T_f / [P_f T_i] = (1.00 \text{ atm})(10.0 \text{ L})(298 \text{ K}) / [(3.00 \text{ atm})(273 \text{ K})] = 3.64 \text{ L}$$

Molar Mass

- $MM = m/n$, m = mass of sample, n = # moles in sample.
- Moles $n = PV/(RT)$
- Substituting: $MM = m \cdot RT/(PV)$

Density

- Density $d = m/V = n(MM)/V$
- $PV = nRT \Rightarrow n/V = P/(RT)$
- Substituting: $d = (MM)P/(RT)$

- Example: Assume O_2 at STP ($0^\circ C = 273$ K and 1 atm)

$$d_{O_2} = \frac{(31.998 \text{ g/mol})(1.00 \text{ atm})}{(0.08206 \frac{\text{L} \cdot \text{atm}}{\text{mol} \cdot \text{K}})(273 \text{ K})} = 1.43 \text{ g/L}$$

Dalton's Law of partial pressures

- $P_{\text{tot}} = P_1 + P_2 + \dots = (n_1 + n_2 + \dots)RT/V$
- P_i/P_{tot} = mole fraction of gas i, Written as X_i
 - $P_i = X_i P_{\text{tot}}$
 - $\sum_i X_i = 1$ or $X_1 + X_2 + X_3 + \dots = 1$